

時間分解光電子分光による 非断熱遷移の実時間観測

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Motivation: Nonadiabatic Transitions

“Nonadiabatic transitions” – A theoretical concept

- invoked to explain many experimental observations
- not something that is seen “directly”
- but *it may be possible to do so now*

Basic building block of

- electron transfer
- wavepacket engineering
- reaction control
- “quantum chaos”

Our Tool: Pump-Probe Photoelectron Spectroscopy

- Femtosecond pump-probe spectroscopy:
 - Good tool for dynamics studies.
- Photoionization as a probe:
 - More information: photoelectron energy and angle distributions.
 - No dark states.
- Problems in theoretical description:
 - Photoionization amplitudes nontrivial to calculate (constant assumed).
 - Difficulty in including ion continuum in dynamics calculation (energy/internal coordinate dependence of ionization have been neglected).

Formulation(1): Wave Function/Hamiltonian

Equation of Motion

$$i \frac{\partial}{\partial t} \Psi(t) = [T_N + H_{el} + V(t)] \Psi(t) \quad (1)$$

Total Wavefunction

$$\Psi(\mathbf{r}, R, t) = \chi_g(R, t) \Phi_g(\mathbf{r}; R) + \chi_e(R, t) \Phi_e(\mathbf{r}; R) + \int d\mathbf{k} \chi_{\mathbf{k}}(R, t) \Phi_{\mathbf{k}}^{(-)}(\mathbf{r}; R) \quad (2)$$

Pump-Probe Interaction

$$V(t) = V_{\text{pump}}(t) + V_{\text{probe}}(t; \Delta T) = f_1(t) \sin(\omega_1 t) \boldsymbol{\epsilon}_{\text{pump}} \cdot \mathbf{d} + f_2(t) \sin(\omega_2 t) \boldsymbol{\epsilon}_{\text{probe}} \cdot \mathbf{d} \quad (3)$$

$\Phi_{\mathbf{k}}^{(-)}$: electronic wave function representing ionized state.

χ_g , χ_e , and $\chi_{\mathbf{k}}$: nuclear wave packets on the potential surfaces.

Formulation(2): Coupled Equations of Motion

$$\begin{aligned}
 i\frac{\partial}{\partial t}\chi_g(R, t) &= [T_N + V_g]\chi_g(R, t) + \langle \Phi_g(R) | T_N | \Phi_e(R) \rangle \chi_e(R, t) \\
 &\quad + \langle \Phi_g(R) | V_{\text{pump}}(t) | \Phi_e(R) \rangle \chi_e(R, t) \\
 &\quad + \int d\mathbf{k} \langle \Phi_g(R) | V_{\text{probe}}(t) | \Phi_{\mathbf{k}}^{(-)}(R) \rangle \chi_{\mathbf{k}}(R, t)
 \end{aligned} \tag{4a}$$

$$\begin{aligned}
 i\frac{\partial}{\partial t}\chi_e(R, t) &= [T_N + V_e]\chi_e(R, t) + \langle \Phi_e(R) | T_N | \Phi_g(R) \rangle \chi_g(R, t) \\
 &\quad + \langle \Phi_e(R) | V_{\text{pump}}(t) | \Phi_g(R) \rangle \chi_g(R, t) \\
 &\quad + \int d\mathbf{k} \langle \Phi_e(R) | V_{\text{probe}}(t) | \Phi_{\mathbf{k}}^{(-)}(R) \rangle \chi_{\mathbf{k}}(R, t)
 \end{aligned} \tag{4b}$$

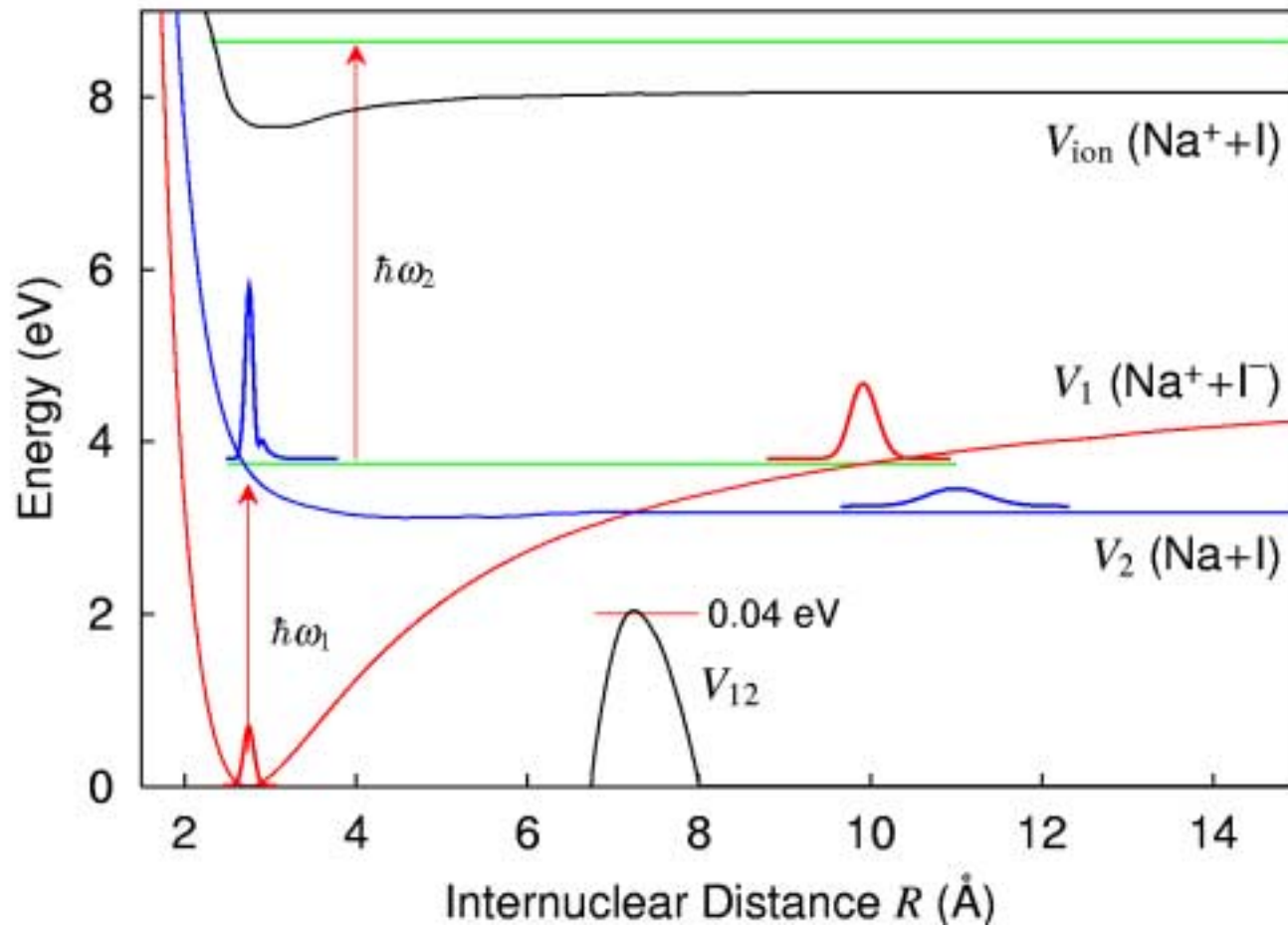
$$\begin{aligned}
 i\frac{\partial}{\partial t}\chi_{\mathbf{k}}(R, t) &= \left[T_N + V_{\text{ion}} + \frac{k^2}{2} \right] \chi_{\mathbf{k}}(R, t) \\
 &\quad + \langle \Phi_{\mathbf{k}}(R) | V_{\text{probe}}(t; \hat{R}, \theta_P, \omega_2; \Delta T) | \Phi_g(R) \rangle \chi_g(R, t) \\
 &\quad + \langle \Phi_{\mathbf{k}}(R) | V_{\text{probe}}(t; \hat{R}, \theta_P, \omega_2; \Delta T) | \Phi_e(R) \rangle \chi_e(R, t)
 \end{aligned} \tag{4c}$$

Formulation(3): Solving the Equations

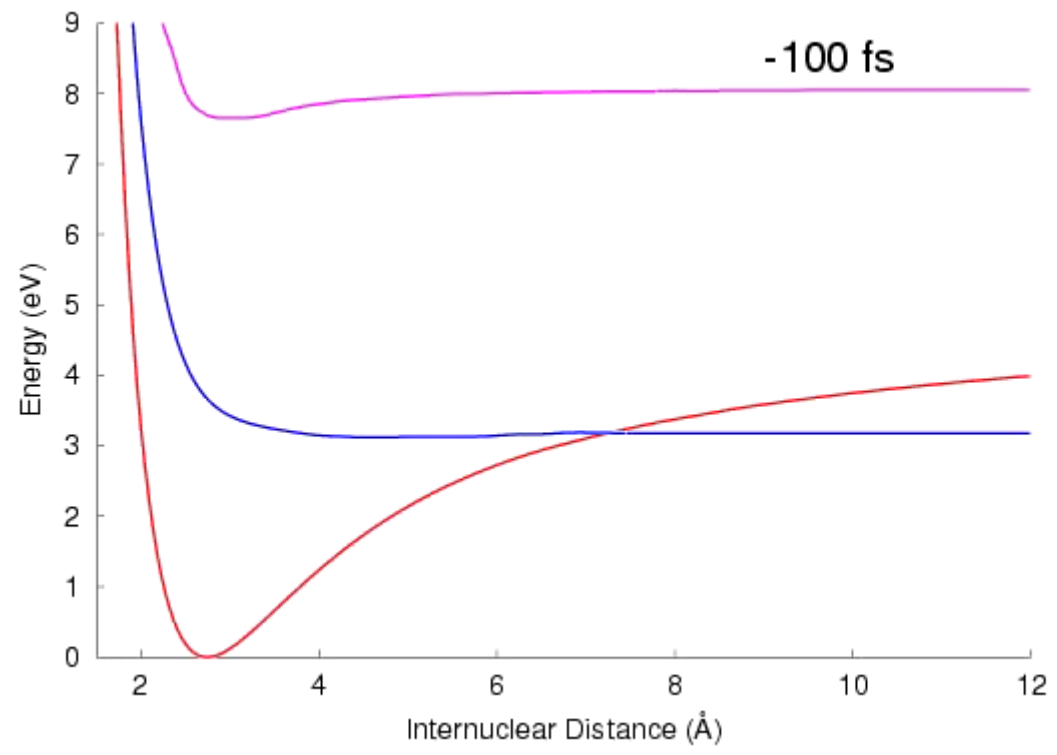
- A simple model of diabatic potentials: Adiabatic curves smoothly interpolated through avoided crossing.
- Single center expansion of scattering orbital. Iterative Schwinger method used to solve for the partial waves. → Natural inclusion of angular dependence.
- Integration over k discretized as a quadrature over N_k points.
- Split operator technique for time-propagation. Kinetic energy operator handled with FFT.
- Analytic diagonalization for pump/probe interaction.

Time-propagated vibrational wavepackets after pump-probe interaction are used to compute population corresponding to each photoelectron partial wave/discretized k (i.e. photoelectron angle and energy distribution).

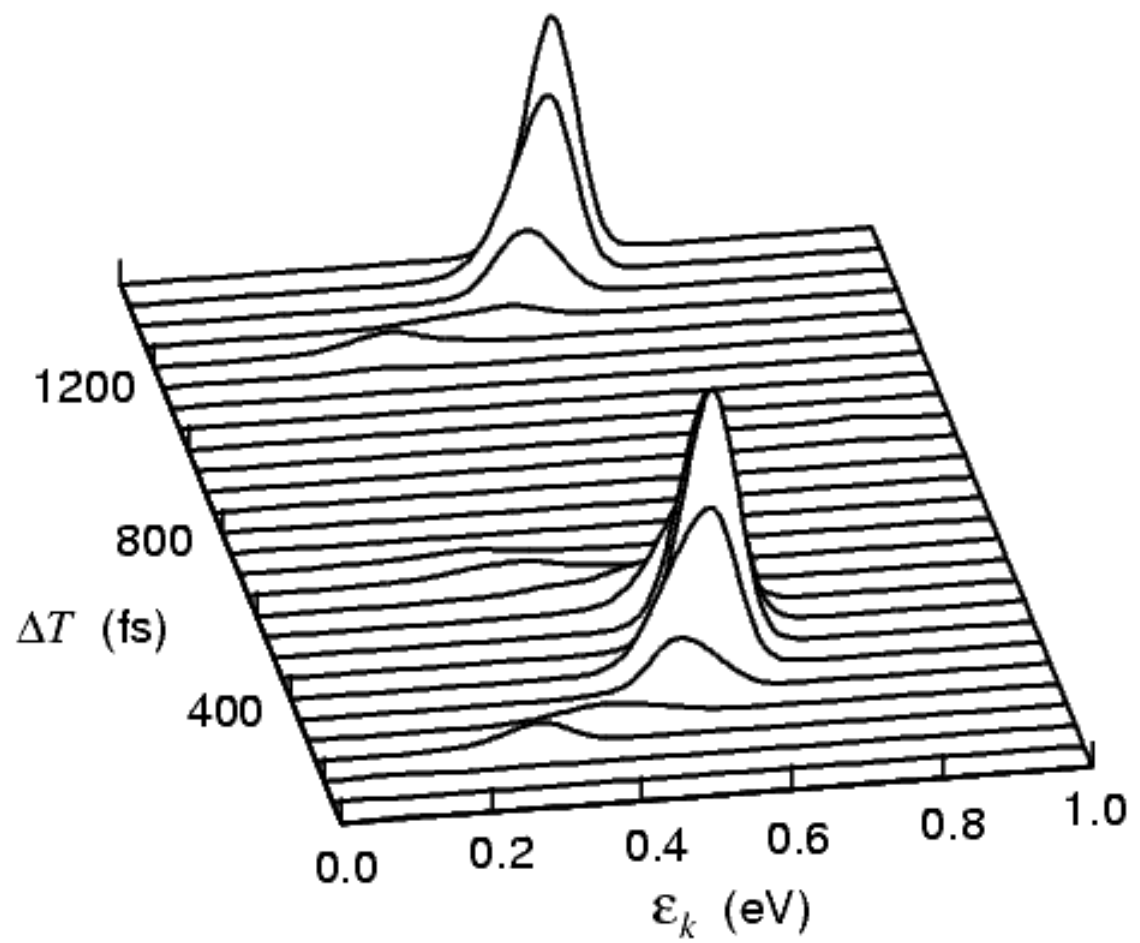
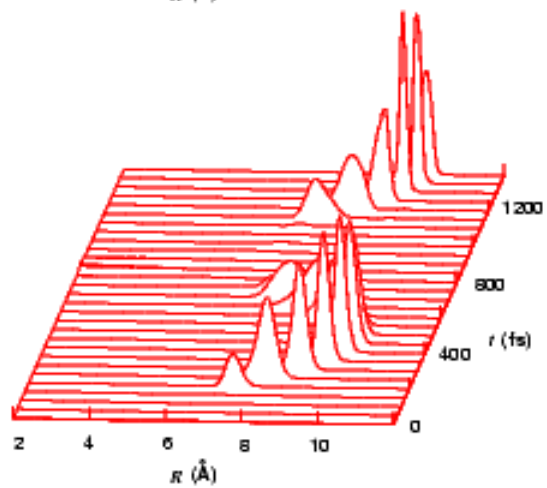
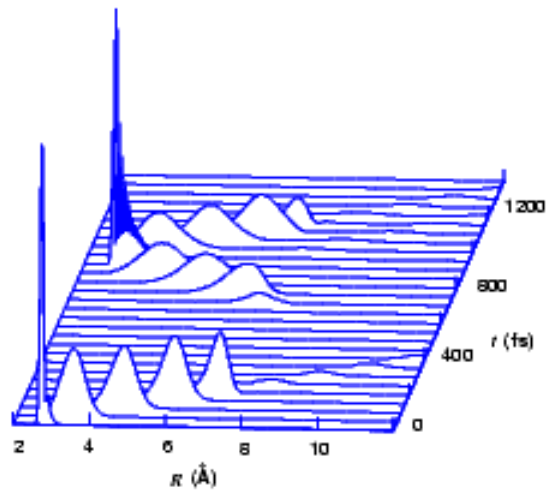
NaI Pump-Probe Scheme



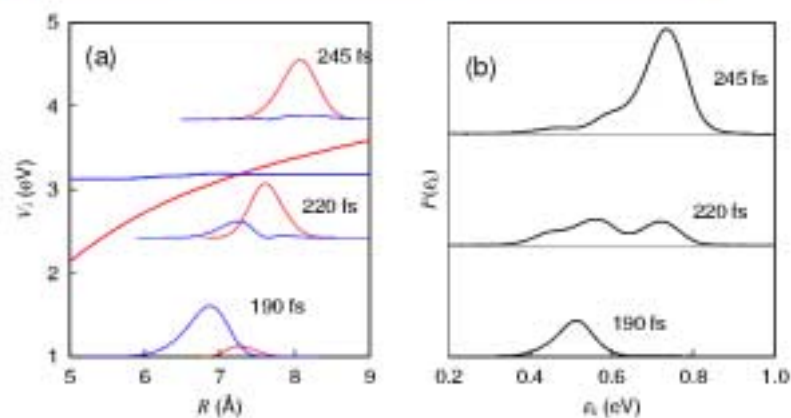
Excited State Dynamics on the Diabatic Curves



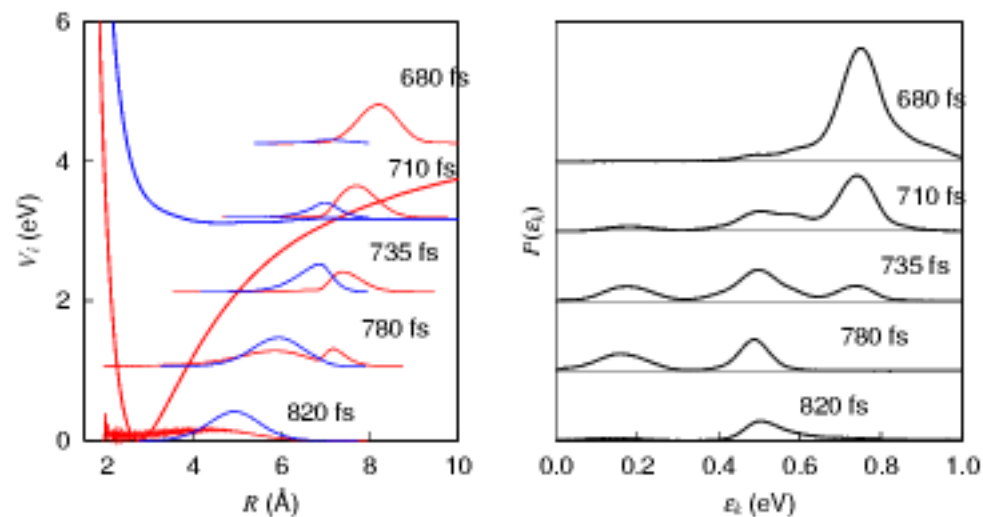
Photoelectron Kinetic Energy Spectra



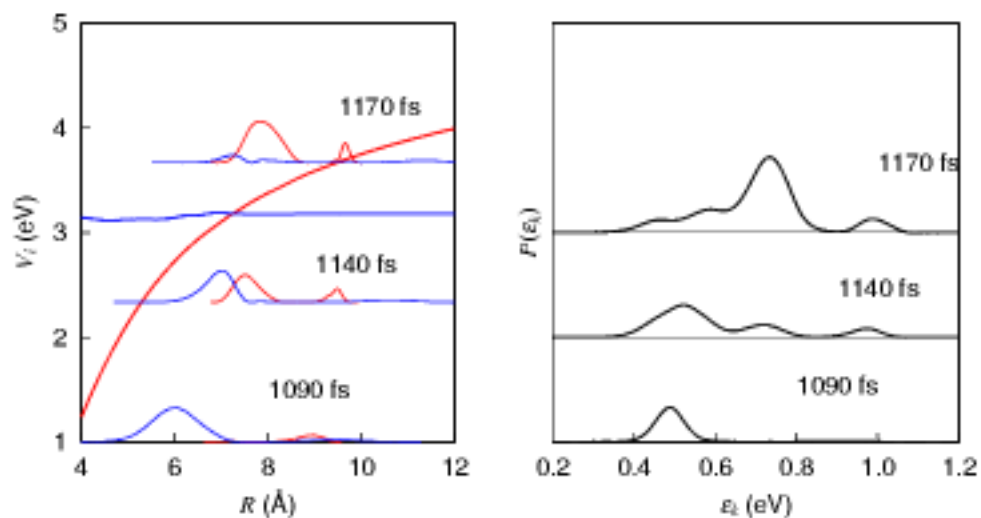
First Crossing: Transfer Among Diabatic Curves



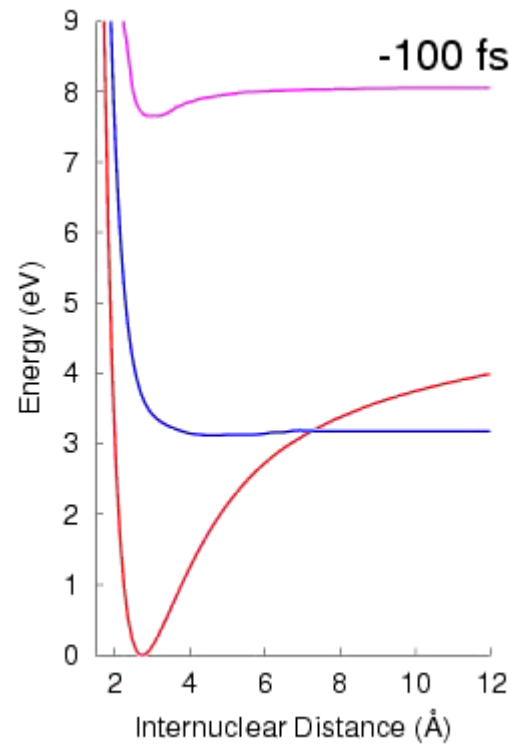
Second Crossing: Splitting Wavepacket



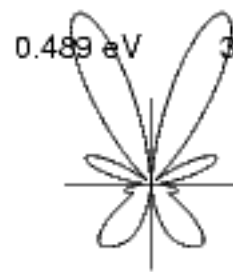
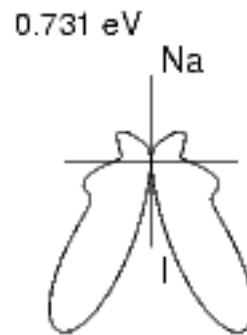
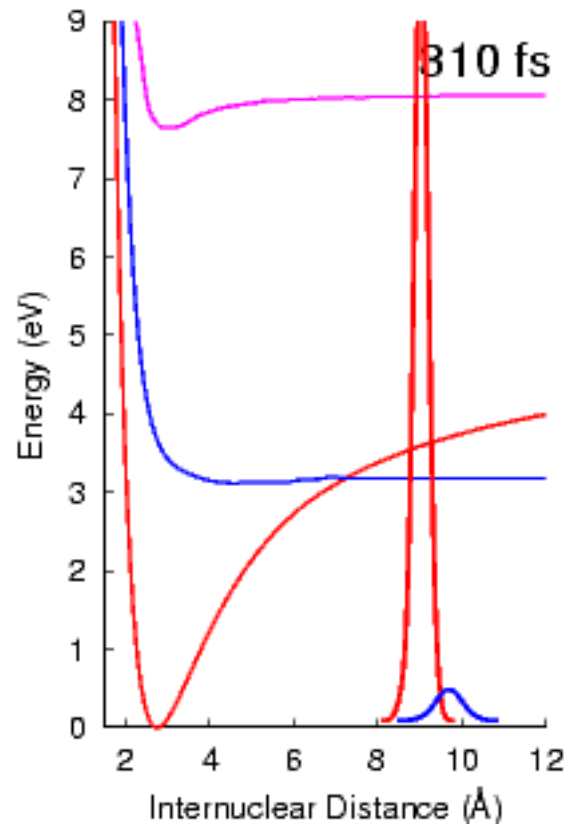
Third Crossing: Wavepacket Mixing



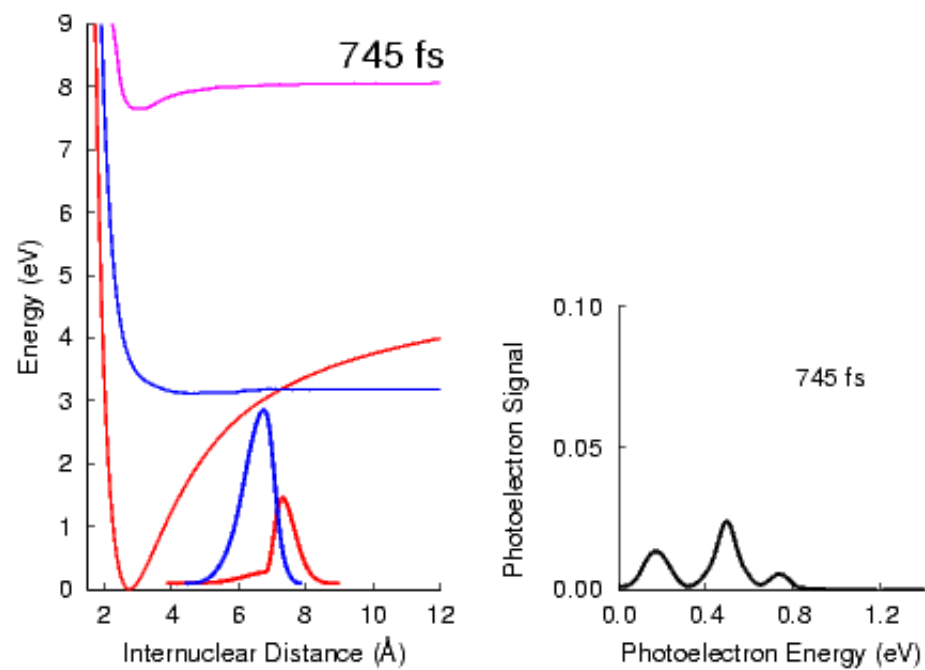
Photoelectron Kinetic Energy Spectra (in motion)



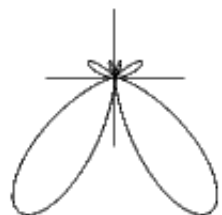
Photoelectron Angular Distributions



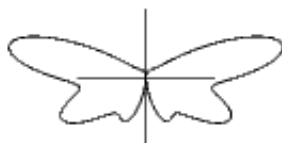
Identifying Origin of Peaks 1



0.178 eV



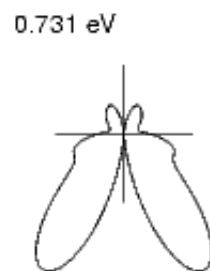
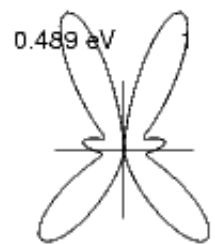
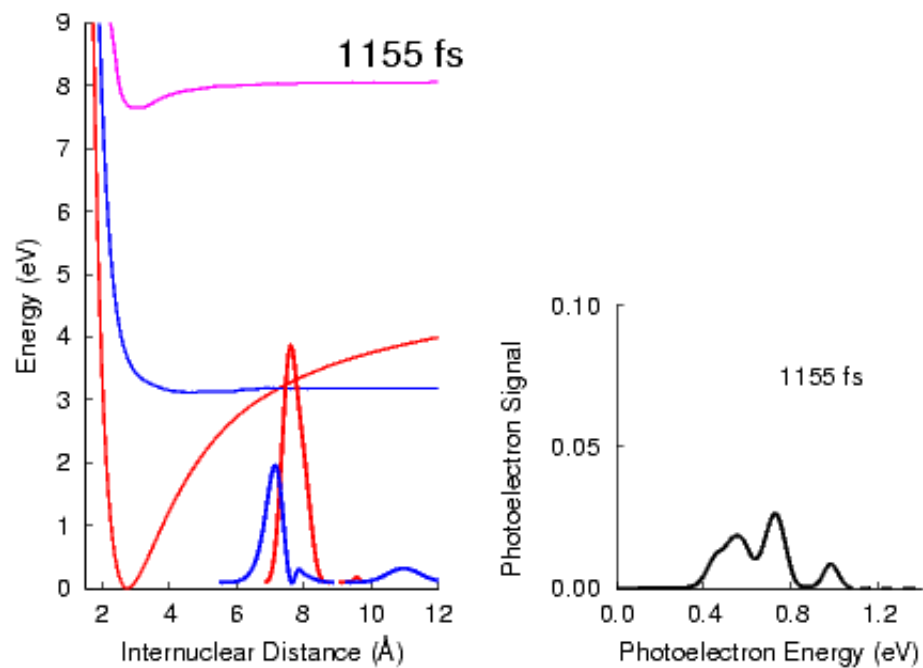
0.489 eV



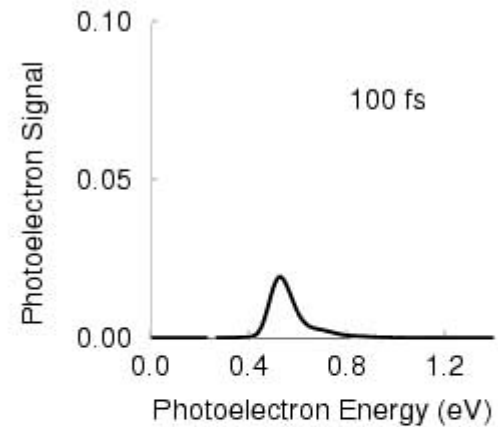
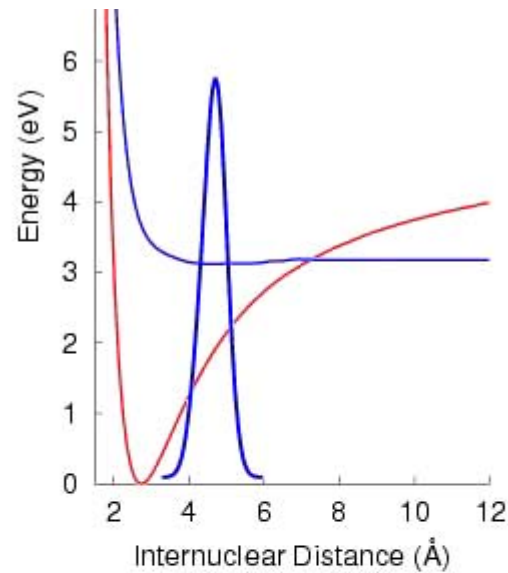
0.731 eV



Identifying Origin of Peaks 2



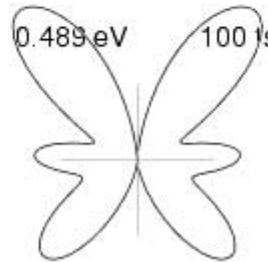
Assigning Peaks with the Aid of Angular Distributions



0.178 eV 100 fs



0.489 eV 100 fs



0.731 eV 100 fs



Conclusion

Direct observation of the wavepacket passing through the avoided crossing is possible (in a favorable system)

- Femtosecond pump-probe photoelectron spectroscopy:
Photoelectron kinetic energy distribution maps the position and spread of wavefunction.
- Splitting and joining of wavefunction also mapped in the energy distributions.
- Angular distribution reflects character of the ionized state.
→ Further clues to identify origin of signals.